

Sight no.	Navigator																																			
Date / /	Celestial Body																																			
AL assumed latitude N S ° !	Aλ assumed longitude E W ° !																																			
ZT zone time : :	GMT Greenwich mean time : :																																			
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1. $\tan(d \text{ declination}) \div \cos(t \text{ meridian angle}) = \tan(\alpha)$	
$\text{if } t < 90^\circ \text{ then } t = t\delta$ $\text{if } t > 90^\circ \text{ then } 180^\circ - t = t\delta$	
$180^\circ - (t) \quad ^\circ \quad ' = (t\delta) \quad ^\circ \quad '$	
Center the slide, and position cursor over $\tan(d)$ ° !	
Move $\cos(t\delta)$ ° ! under cursor in order to divide. Move cursor to slide index.	
Read $\tan(\alpha)$ off appropriate T scale of stator.	
$\alpha = \quad ^\circ \quad '$	
2. when $t < 90^\circ$ $(90^\circ - AL \text{ assumed latitude}) \pm \alpha = \beta$ use [+ α] if (dec.) has the same name as lat. use [- α] if (dec.) has contrary name	
2. when $t > 90^\circ$ $(90^\circ - AL \text{ assumed latitude}) - \alpha = \beta$ or $(AL \text{ assumed latitude}) + \alpha - 90^\circ = \beta$	
$89^\circ 6 0'$ - AL ° ! = ° ! ± α ° !	$AL \quad ^\circ \quad '$ + α ° ! = ° ! - 90° 0 0'
$\beta = \quad ^\circ \quad '$ or $\beta = \quad ^\circ \quad '$	
3. if $\beta > 90^\circ$ then $180 - \beta = \gamma$ but if $\beta < 90^\circ$ then $\beta = \gamma$	
$180^\circ - (\beta) \quad ^\circ \quad '$	$\gamma = \quad ^\circ \quad '$
4. $[\cos(\alpha) \div \cos(\gamma)] \cdot \tan(t \text{ meridian angle}) = \tan(Az \text{ azimuth angle})$	
Center the slide, and position cursor over $\cos(\alpha)$ ° !	
Move $\cos(\gamma)$ ° ! under cursor in order to divide.	
Move cursor over $\tan(t)$ ° ! on slide to multiply.	
Read $\tan(Az)$ off appropriate T scale of stator.	
$GP \text{ bearing} = N, S, E, W$ $Az = N \quad ^\circ \quad '$ $Z_n = S \quad ^\circ \quad '$	
5. $\cos(Az \text{ azimuth angle}) \cdot \tan(\gamma) = \tan(H_c \text{ computed altitude})$	
Center the slide, and position cursor over $\cos(Az)$ ° !	
Move slide index under cursor. Move cursor over $\tan(\gamma)$ ° ! on slide to multiply.	
Read $\tan(H_c)$ off appropriate T scale of stator.	
$H_c = \quad ^\circ \quad '$ - $H_o \quad ^\circ \quad '$ = a altitude intercept $^\circ +$ away - toward	