## Direct Calculation of Longitude and Latitude

You must set sight 1 as the celestial body with that is the farthest west while still being within $180^{\circ}$ longitude of the other body. If both have the same GHA, choose the northernmost as sight 1 .

|  | UT | Celestial Body | Ho | GHA | Dec |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Sight 1 |  |  |  |  |  |
| Sight__ <br> advanced |  |  |  |  |  |
| Sight 2 |  |  |  |  |  |

Running Fix Adjustments
Calculate the amount to add to the GHA and Declination of a celestial body in order to advance it to the same time as a later sight. N is,+ S is -

| Degrees of GHA to Add | Degrees of Declination to Add | Symbols |
| :--- | :--- | :--- |
| $\theta_{G H A}=\sin C \int_{0}^{D} \frac{1}{\cos (L+x \cos C)} d x$ | $\theta_{\text {Declination }=D \cos C}$ | C $=$ Course of travel in <br> degrees |
| $=\frac{180}{\pi} \tan C\left[\ln \left(\frac{\tan \left(45^{\circ}+\frac{L+D \cos C}{2}\right)}{\tan \left(45^{\circ}+\frac{L}{2}\right)}\right)\right]$ |  | $\mathrm{D}=$ nautical miles traveled |
|  | $\mathrm{L}=$ Original declination |  |
| Special case for traveling due east or west (C is $90^{\circ}$ or $\left.270^{\circ}\right):$ |  |  |
| $\theta_{G H A}=D \frac{\sin C}{\cos (L)}$ |  |  |

$\cos \left(\mathrm{D}_{12}\right)=\sin \left(\mathrm{Dec}_{1}\right) \sin \left(\mathrm{Dec}_{2}\right)+\cos \left(\mathrm{Dec}_{1}\right) \cos \left(\mathrm{Dec}_{2}\right) \cos \left(\mathrm{GHA}_{1}-\mathrm{GHA}_{2}\right)$
$\cos (A) \quad=\left[\sin \left(\mathrm{Dec}_{2}\right)-\sin \left(\mathrm{Dec}_{1}\right) \cos \left(\mathrm{D}_{12}\right)\right] /\left[\cos \left(\mathrm{Dec}_{1}\right) \sin \left(\mathrm{D}_{12}\right)\right]$
$\cos (B) \quad=\left[\sin \left(\mathrm{H}_{2}\right)-\sin \left(\mathrm{H}_{1}\right) \cos \left(\mathrm{D}_{12}\right)\right] /\left[\cos \left(\mathrm{H}_{1}\right) \sin \left(\mathrm{D}_{12}\right)\right]$
$\sin ($ Lat $) \quad=\sin \left(\mathrm{Dec}_{1}\right) \sin \left(\mathrm{H}_{1}\right)+\cos \left(\mathrm{Dec}_{1}\right) \cos \left(\mathrm{H}_{1}\right) \cos (\mathrm{A} \pm \mathrm{B})$
$\cos \left(\mathrm{LHA}_{1}\right)=\left[\sin \left(\mathrm{H}_{1}\right)-\sin \left(\mathrm{Dec}_{1}\right) \sin (\right.$ Lat $\left.)\right] /\left[\cos \left(\mathrm{Dec}_{1}\right) \cos (\right.$ Lat $\left.)\right]$

| $\mathbf{D}_{12}$ |  | A | B |
| ---: | ---: | :---: | :---: |
|  |  |  |  |
|  | Lat | A+B | A-B |
| LHA |  |  |  |
| Long $=$ LHA $_{1}-$ GHA $_{1}$ |  |  |  |

West longitude is negative

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$\cos \left(\mathrm{D}_{12}\right) \quad=\sin \left(\mathrm{Dec}_{1}\right) \sin \left(\mathrm{Dec}_{2}\right)+\cos \left(\mathrm{Dec}_{1}\right) \cos \left(\mathrm{Dec}_{2}\right) \cos \left(\mathrm{GHA}_{1}-\mathrm{GHA}_{2}\right)$
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| D $_{12}$ | A | B |  |
| ---: | :---: | :---: | :---: | :---: |
|  | A+B | A-B |  |
| Lat |  |  |  |
| LHA 1 |  |  |  |
| Long = LHA $1-$ GHA $_{1}$ |  |  |  |

West longitude is negative

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| ---: | :---: | :---: | :---: | :---: |
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