

Recent occultation From: Dave Walden Date: 2022 Jun 15, 04:02 -0700

It's 13 June 2022, 2h 20m 8.1s UT. You see delta Scorpii (Dschubba) disappear behind the moon.

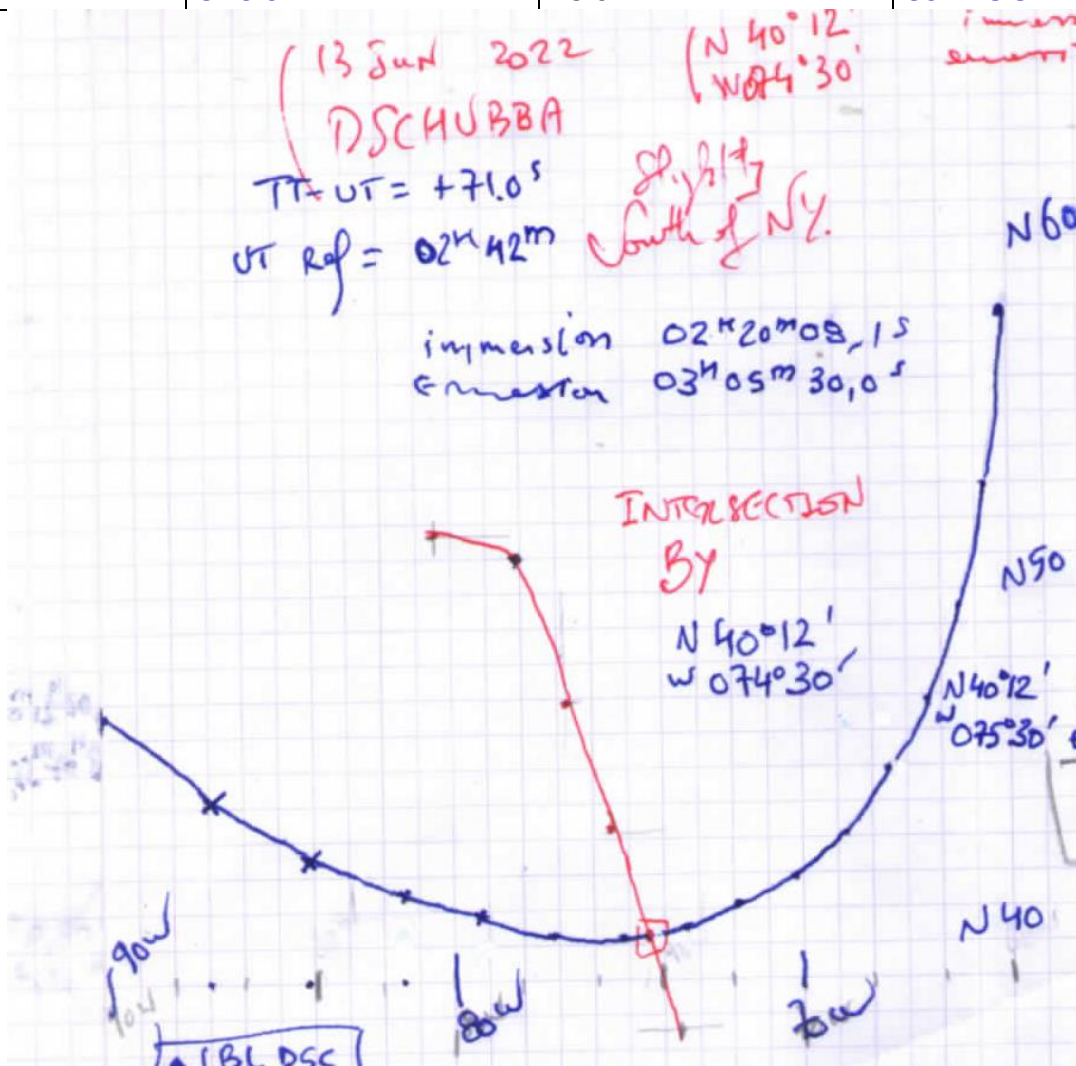
At 3h 5m 30s, you see it reappear. Where are you?

<http://simbad.u-strasbg.fr/simbad/sim-basic?Ident=Dschubba> del Sco - Spectroscopic Binary

ICRS coord. (<i>ep=J2000</i>) :	16 00 20.00528 -22 37 18.1431 (Optical)
Proper motions <i>mas/yr</i> :	-10.21 -35.41
Radial velocity / Redshift / <i>cz</i> :	V (km/s) -6.00
Parallax (<i>mas</i>):	6.64 [0.89] A
Fluxes (8) :	V 2.32 [~] C

1 - Paper drawing Intersection of Cylinder and Sphere (no refraction) to get graphical approximate position

02h20m08.1 s SINGLE CURVE		03h05m30 s SINGLE CURVE	
-40.0	50.0 96.1	-75.0	57.1 80.4
-35.0	46.4 90.7	-70.0	51.0 78.2
...///...	...///...	-65.0	46.7 76.8
-10.0	40.3 77.2	-60.0	43.2 75.6
-05.0	40.2 75.3	-55.0	40.2 74.5
00.0	40.5 73.5	-50.0	37.7 73.4
05.0	41.1 71.9	-45.0	35.4 72.3
...///...	...///...	...///...	...///...
40.0	57.9 64.2	75.0	50.2 28.8



Graphical approximate position AP1: N40°12' / W074°30' (one intersection only)

(2) First numerical Approximation from AP1 on Ellipsoid with refraction (zero altitude)

Starting from AP1 : N40°12' / W074°30'

imm. : immersion (star disappears behind Moon) *em.* : emersion (star again visible)

In the "Local LAT/LON Coordinates system" with AP1 = (0,0) and LAT/LON units in degrees :

a and b : Coefficients of straight line (1) ($ax+by-ab = 0$) of equal immersion times equal to 02h20m08.1 s

c and d : Coefficients of straight line (2) ($cx+dy-cd = 0$) of equal emersion times equal to 03h05m30.0 s

ΔX and ΔY are the local coordinates (i.e. centered onto AP1) of the intersection of (1) and (2) .

Therefore the intersection of (1) and (2) is an improved position derived from AP1.

			N41°12' W074°30'	<i>imm.</i> 02h19m18.8s <i>em.</i> 03h06m15,5s	a = 0.46179 b = 7.69091
N4012' W075°30'	<i>imm.</i> 02h20m44,9s <i>em.</i> 03h02m23.6s	c = 0.27663 d = -0.10296	N40°12' W074°30'	<i>imm.</i> 02h20m50.4s <i>em.</i> 03h05m12.6s	$\Delta X = 0.06741^\circ$ $\Delta Y = 0.45774^\circ$

From AP1, compute AP2 with:

- $LAT(AP2) = LAT(AP1) + \Delta Y = N 40^\circ 39.464'$

- $LON(AP2) = LON(AP1) + \Delta X = W 074^\circ 34.045'$

Numerical check : at AP2, immersion UT = 02h20m05,9s / emersion UT = 03h05m31.8s

(Benchmarks : *imm.* at 02h20m08.1s and *em.* 03h05m30,0s)

(3) Second numerical Approximation from AP2 on Ellipsoid with refraction (zero altitude)

Starting from AP2 : N40°39.464' / W074°34.045'

imm. : immersion (star disappears behind Moon) *em.* : emersion (star again visible)

In the "Local LAT/LON Coordinates system" with AP2 = (0,0) and LAT/LON units in degrees :

a and b : Coefficients of straight line (1) ($ax+by-ab = 0$) of equal immersion times equal to 02h20m08.1 s

c and d : Coefficients of straight line (2) ($cx+dy-cd = 0$) of equal emersion times equal to 03h05m30.0 s

ΔX and ΔY are the local coordinates (i.e. centered onto AP2) of the intersection of (1) and (2) .

Therefore the intersection of (1) and (2) is an improved position derived from AP2.

			N 41°39.464' W074°34.045'	<i>imm.</i> 02h18m39.8s <i>em.</i> 03h06m30,8s	a = -0.02555 b = -0.25287
N 40°39.464' W075°34.045'	<i>imm.</i> 02h19m57,2s <i>em.</i> 03h02m47.5s	c = -0.03051 d = 0.01096	N 40°39.464' W074°34.045'	<i>imm.</i> 02h20m05.9s <i>em.</i> 03h05m31.8s	$\Delta X = 0.00172^\circ$ $\Delta Y = -0.02572^\circ$

From AP2, compute AP3 with:

- $LAT(AP3) = LAT(AP2) + \Delta Y = N 40^\circ 37.921'$

- $LON(AP3) = LON(AP2) + \Delta X = W 074^\circ 34.148'$

Numerical check : at AP3, immersion UT = 02h20m08.3s / emersion UT = 03h05m29.9s

(Benchmarks : *imm.* at 02h20m08.1s and *em.* 03h05m30,0s)

No need for further refinement.

Solution : N 40°37.9' / W 074°34.1' on the WGS84 Ellipsoid with refraction and at Sea Level

Antoine M. "Kermit" Couëtte

Jun 20th, 2022

antoine.m.couette@club-internet.fr