

# Altitude-Intercept Worksheet

LoP = Jupiter


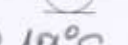
## Section 0 - "Estimated Position"

EstLat N/S 37.15.  
EstLon E/W 66.30.

## Section 1 - "Time of Observation"

Date 2016-10-31  
Chronometer 10h 13m 30s  
Error ± 0m 0s  
Local Time     h    m    s  
Time Zone ± 0h  
UTo 10h 13m 30s

## Section 2 - "Observed Altitude"

Hs 18.25.4 cel.obj.  
IE ± 0' app.dir.  
Dip - 0'  
Ha 18.25.4  
SD ± 0' upper limb: -   
Refr - 2.9 lower limb: +   
1500 ft @ 10°C  
18.28.3  
Prllx + 0.0 HP 0.0  
Ho 18.28.3

## Section 3 - "Nautical Almanac"

GHA(NA) 359.31.1  
dHA + 3.22.5 <--  
Interp + 6.8 <-- (sign of ddGHA)  
GHA 3.0.4 at UTo

ddGHA + 2.0 p(ddGHA) 20791  
fMin 13m 30s p(fMin) 29084  
s( ) 49875

Dec(NA) N/S 3.20.8  
Interp + 0.7 <-- (sign of dDec)  
Dec N/S 3.21.5 at UTo

dDec + 0.2 p(dDec) 10791  
fMin 13m 30s p(fMin) 29084  
s( ) 39875

## Section 4 - "Sight Reduction"

Sight-Reduction with Tables is done on a separate Worksheet. The trigonometric equations are:

$$H_c = \arcsin(\sin(\text{LatEP}) \cdot \sin(\text{Dec}) + \cos(\text{LatEP}) \cdot \cos(\text{Dec}) \cdot \cos(\text{GHA} + \text{LonEP}))$$

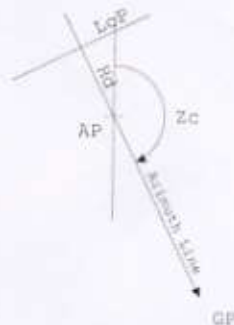
$$Z_c = \arctan(\cos(\text{Dec}) \cdot \sin(\text{GHA} + \text{LonEP}) / (\cos(\text{LatEP}) \cdot \sin(\text{Dec}) - \sin(\text{LatEP}) \cdot \cos(\text{Dec}) \cdot \cos(\text{LHA} + \text{LonEP}))$$

## Section 5 - "Line of Position"

LatAP N/S 37.15.  
LonAP E/W 66.30.

Hc 18.36.8  
Ho - 18.28.3  
Hd + 8.5

Hd > 0 draw LoP Hd miles away from GP  
Hd < 0 draw LoP Hd miles towards GP



# Sight-Reduction Worksheet for Ageton's Method

LoP = *Jupiter*

## Section 4 - "Sight Reduction"

EP: LatEP =  $+37^{\circ} 15'$  (N/S)      GP: Dec =  $-3^{\circ} 21.5'$  (N/S) (0)  
 LonEP =  $-66^{\circ} 30'$  (E/W)      GHA =  $3^{\circ} 04'$

1. LHA = GHA + LonEP =  $63^{\circ} 29.6$   
 t = - LHA =  $-63^{\circ} 29.6$       if( LHA < 180°) (1)  
 t = 360° - LHA =  $\pm \quad \quad \quad$       if( LHA > 180°)  
 A(t) =  $4823$

2. A(Dec) =  $123220$       B(Dec) =  $75$

3. A(R) = A(t) + B(Dec) =  $4823 + 75 = 4898$   
 R =  $63^{\circ} 17.8$       B(R) =  $34739$

4. A(LatQ) = A(Dec) - B(R) =  $123220 - 34739 = 88481$   
 LatQ =  $-7^{\circ} 29.4$  (N/S) (t < 90°) (4)

5. dLat = LatEP - LatQ =  $+37^{\circ} 15' - +7^{\circ} 29.4 = +44^{\circ} 44.4$  (5)  
 B(dLat) =  $14855$

6. A(Hc) = B(R) + B(dLat) =  $34739 + 14855 = 49594$       Casio:  
 Hc =  $18^{\circ} 36.8$       B(Hc) =  $2333$        $[18^{\circ} 36' 58'']$

7. A(Z) = A(R) - B(Hc) =  $4898 - 2333 = 2565$   
 Z =  $109^{\circ} 30'$  (7)

8. Zc =  $25^{\circ} 30'$       ??? !!! (8)

### Remarks and Instructions

- (0) Use the appropriate signs for Latitude, Longitude and Declination: positive for N and E, negative for S and W.
- (1) The meridian angle "t" is calculated from "LHA" according to the following rule:  
 if LHA < 180°    t = - LHA  
 if LHA > 180°    t = 360° - LHA
- (4) The sign of the Latitude of "Q" (N/S) depends on the values of "t" and "Dec":  
 if |t| < 90°    LatQ has the same sign as Dec  
 if |t| > 90°    LatQ has the contrary sign of Dec  
 Where |t| is the absolute value of "t"
- (5) The value of "dLat" must be calculated taking the correct signs for "LatEP" and "LatQ" into into account. The resulting sign of "dLat" should be recorded correctly (see remark 7).
- (7) Select one out of four cases, depending on the value of "|t|" and the sign of "dLat" to determine how to select the value of "Z" from the Tables:  

t	t  < 90°	t  > 90°
dLat	+	-
Z	< 90°	> 90°

  
 if Z < 90° select Z from the top line - left column of the Table  
 if Z > 90° select Z from the bottom line - right column of the Table
- (8) The true Azimuth "Zc" is obtained from "Z" depending on the sign of "t":  
 if t > 0    Zc = Z      (GP is East of EP)  
 if t < 0    Zc = 360° - Z      (GP is West of EP)