

## 2nd Order Regression

<b>N</b>	9
<b>Σ for i = 1 to N</b>	
<b>ΣT</b>	101.62611
<b>ΣT<sup>2</sup></b>	1147.621571
<b>ΣT<sup>3</sup></b>	12960.52886
<b>ΣT<sup>4</sup></b>	146378.534
<b>ΣHs</b>	489.6917
<b>ΣT Hs</b>	5530.118494
<b>ΣT<sup>2</sup> Hs</b>	62456.37909

T	T <sup>2</sup>	T <sup>3</sup>	T <sup>4</sup>	hs	T Hs	T <sup>2</sup> Hs
11.14750	124.2667563	1385.263665	15442.22671	53.3367	594.5704917	6627.974556
11.19056	125.2285336	1401.376863	15682.18564	53.6117	599.9443343	6713.710403
11.21528	125.7824556	1410.685179	15821.22614	53.8133	603.5314815	6768.773212
11.25444	126.6625198	1425.516292	16043.39391	54.0800	608.6403556	6849.909068
11.28556	127.3637642	1437.370837	16221.52843	54.3533	613.407563	6922.64513
11.32111	128.1675568	1450.999151	16426.92261	54.6450	618.6421167	7003.716141
11.35583	128.9549507	1464.390928	16629.37931	54.9333	623.8137778	7083.925291
11.41250	130.2451563	1486.422846	16963.80073	55.3650	631.8530625	7211.023076
11.44333	130.9498778	1498.503101	17147.87049	55.5533	635.7153111	7274.70221
0.00000	0	0	0	0.0000	0	0

$$\begin{vmatrix} N & \Sigma T & \Sigma T^2 \\ \Sigma T & \Sigma T^2 & \Sigma T^3 \\ \Sigma T^2 & \Sigma T^3 & \Sigma T^4 \end{vmatrix}^{-1} \times \begin{vmatrix} \Sigma Hs \\ \Sigma T Hs \\ \Sigma T^2 Hs \end{vmatrix} = \begin{vmatrix} a_0 \\ a_1 \\ a_2 \end{vmatrix}$$

▼

$$\begin{vmatrix} 9 & 101.62611 & 1147.621571 \\ 101.62611 & 1147.621571 & 12960.52886 \\ 1147.621571 & 12960.52886 & 146378.534 \end{vmatrix}^{-1} \times \begin{vmatrix} \Sigma Hs \\ \Sigma T Hs \\ \Sigma T^2 Hs \end{vmatrix} = \begin{vmatrix} a_0 \\ a_1 \\ a_2 \end{vmatrix}$$

INVERSE ▼

$$\begin{vmatrix} 27443751.49 & -4858415.373 & 215008.2435 \\ -4858415.373 & 860106.127 & -38064.37904 \\ 215008.2435 & -38064.37904 & 1684.580241 \end{vmatrix} \times \begin{vmatrix} 489.6917 \\ 5530.118494 \\ 62456.37909 \end{vmatrix} = \begin{vmatrix} 60.20758247 \\ -8.72406292 \\ 0.727082893 \end{vmatrix}$$

$$Hs = a_0 + a_1 T + a_2 T^2$$

$$a_0 = 60.20758$$

$$a_1 = -8.72406$$

$$a_2 = 0.72708289$$