

(0)

LoP = _____

Dec $\underline{\quad}^{\circ}\underline{\quad}'$ (N/S)GHA $\underline{\quad}^{\circ}\underline{\quad}'$

iteration #0
 $\text{Lat}_{AP} \underline{\quad}^{\circ}\underline{\quad}'$ (N/S)
 $\text{Lon}_{AP} \underline{\quad}^{\circ}\underline{\quad}'$ (E/W)

iteration #1
 $\text{Lat}_{AP} \underline{\quad}^{\circ}\underline{\quad}'$ (N/S)
 $\text{Lon}_{AP} \underline{\quad}^{\circ}\underline{\quad}'$ (E/W)

iteration #2
 $\text{Lat}_{AP} \underline{\quad}^{\circ}\underline{\quad}'$ (N/S)
 $\text{Lon}_{AP} \underline{\quad}^{\circ}\underline{\quad}'$ (E/W)

(1) $LHA = GHA + \text{Lon}_{AP}$

$$\begin{aligned} & \text{GHA } \underline{\quad}^{\circ}\underline{\quad}' \\ & \pm \text{Lon}_{AP} \underline{\quad}^{\circ}\underline{\quad}' \\ & = t \underline{\quad}^{\circ}\underline{\quad}' \\ & \pm 360^{\circ}00' \\ & LHA = \underline{\quad}^{\circ}\underline{\quad}' \end{aligned}$$

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+ for East, - for West
 If $t < 0^{\circ}$ $LHA = t + 360^{\circ}$
 if $t > 360^{\circ}$ $LHA = t - 360^{\circ}$
 if $0^{\circ} < t < 360^{\circ}$ $LHA = t$

(2)

	0°	$< LHA <$	90°	$< LHA <$	180°	$< LHA <$	270°	$< LHA <$	360°
		$H = LHA$		$H = 180^{\circ} - LHA$		$H = LHA - 180^{\circ}$		$H = 360^{\circ} - LHA$	
		$LHA \underline{\quad}^{\circ}\underline{\quad}'$		$179^{\circ}60'$		$LHA \underline{\quad}^{\circ}\underline{\quad}'$		$359^{\circ}60'$	
If $H < 1^{\circ}$ or $H > 89^{\circ}$ choose Lon_{AP} to bring H within the 1° ~ 89° range									
Lat_{AP} and Dec	same name	$+W$		$-W$		$-W$		$+W$	
	contrary name	$-W$		$-W$		$-W$		$-W$	

If $\text{Dec} < 1^{\circ}$ set $W = \text{Dec}$ skipping $\tan(\text{Dec}) / \cos(H)$ division(3) $\tan(W) = \tan(\text{Dec}) / \cos(H)$

cos	cotan
set 0°	
	set Dec
set H	
read W	

If $\text{Lat}_{AP} < 1^{\circ}$ assume $\text{Lat}_{AP} = 1^{\circ}$ (3a) $X = 90^{\circ} - \text{Lat}_{AP} \pm W$

$$\begin{aligned} & 89^{\circ}60' \\ & - \text{Lat}_{AP} \underline{\quad}^{\circ}\underline{\quad}' \\ & (\text{PD}) = \underline{\quad}^{\circ}\underline{\quad}' \\ & \pm W \underline{\quad}^{\circ}\underline{\quad}' \\ & = X \underline{\quad}^{\circ}\underline{\quad}' \end{aligned}$$

X	$< 90^{\circ}$	$< X$
$Y = X$		$Y = 180^{\circ} - X$
$X \underline{\quad}^{\circ}\underline{\quad}'$		$179^{\circ}60'$

If $Y > 89^{\circ}$ choose Lat_{AP} to make $Y < 89^{\circ}$ (4) $\tan(Az) = \cos(W) \cdot \tan(H) / \cos(Y)$

cos	cotan
set W	
	set H
set Y	
read Az	

Compute **Zn** from **Az**.

Azimuth rules		$0^\circ < \text{LHA} < 180^\circ$	$\text{LHA} < 360^\circ$
Lat _{AP} N	X < 90°	$\text{Zn} = \text{Az} + 180^\circ$ Az _____ ° ____' + 180°00' = Zn _____ ° ____'	$\text{Zn} = 180^\circ - \text{Az}$ 179°60' - Az _____ ° ____' = Zn _____ ° ____'
	X > 90°	$\text{Zn} = 360^\circ - \text{Az}$ 359°60' - Az _____ ° ____' = Zn _____ ° ____'	$\text{Zn} = \text{Az}$ Az _____ ° ____' = Zn _____ ° ____'
	X < 90°	$\text{Zn} = 360^\circ - \text{Az}$ 359°60' - Az _____ ° ____' = Zn _____ ° ____'	$\text{Zn} = \text{Az}$ Az _____ ° ____' = Zn _____ ° ____'
	X > 90°	$\text{Zn} = \text{Az} + 180^\circ$ Az _____ ° ____' + 180°00' = Zn _____ ° ____'	$\text{Zn} = 180^\circ - \text{Az}$ 179°60' - Az _____ ° ____' = Zn _____ ° ____'

(5)

$\text{if } \text{Az} < 85^\circ \text{ and } \text{Lat}_{\text{AP}} > 1^\circ$	$\text{if } \text{Az} > 85^\circ \text{ or } \text{Lat}_{\text{AP}} < 1^\circ$				
(5a) $\tan(\text{Hc}) = \cos(\text{Az}) \cdot \tan(\text{Y})$ <table border="1" style="width: 100%;"><tr> <td style="width: 50%;">cos</td> <td style="width: 50%;">cotan</td> </tr></table> set Az set Y set 0° read Hc	cos	cotan	If $\text{Lat}_{\text{AP}} < 1^\circ$ set W = Lat_{AP} skipping $\tan(\text{Lat}_{\text{AP}})/\cos(\text{H})$ division (5b) $\tan(\text{W}) = \tan(\text{Lat}_{\text{AP}}) / \cos(\text{H})$ <table border="1" style="width: 100%;"><tr> <td style="width: 50%;">cos</td> <td style="width: 50%;">cotan</td> </tr></table> set 0° set Lat_{AP} set H read W	cos	cotan
cos	cotan				
cos	cotan				
Use Zn and Hc for LoP. Done.	If $\text{Dec} < 1^\circ$ assume $\text{Dec} = 1^\circ$ (5c) $\text{X} = 90^\circ - \text{Dec} \pm \text{W}$ 89°60' - Dec _____ ° ____' = _____ ° ____' ± W _____ ° ____' = X _____ ° ____'				
	<table border="1" style="width: 100%;"><tr> <td style="width: 50%; text-align: center;">X < 90°</td> <td style="width: 50%; text-align: center;">Y = 180° - X</td> </tr><tr> <td>X _____ ° ____'</td> <td>179°60' - X _____ ° ____' = Y _____ ° ____'</td> </tr></table>	X < 90°	Y = 180° - X	X _____ ° ____'	179°60' - X _____ ° ____' = Y _____ ° ____'
X < 90°	Y = 180° - X				
X _____ ° ____'	179°60' - X _____ ° ____' = Y _____ ° ____'				
	(5d) $\tan(\text{Az}^*) = \cos(\text{W}) \cdot \tan(\text{H}) / \cos(\text{Y})$ Do not use Az* for LoP but calculate Hc from it.				
	(5e) $\tan(\text{Hc}) = \cos(\text{Az}^*) \cdot \tan(\text{Y})$ <table border="1" style="width: 100%;"><tr> <td style="width: 50%;">cos</td> <td style="width: 50%;">cotan</td> </tr></table> set Az* set Y set 0° read Hc	cos	cotan		
cos	cotan				
	Use Az from (4) and Hc from (5e) for LoP. Done.				